Masumi Okamoto /082350/92 Fxercise When a power set D. Contains Nelements, it contains 2^N dements. (Proos) (1] Is N=1, a power set will be {\$}, {1} So, the number of elements is $2:=2^1$ [2] Now, we can count it deductively The number of elements in a set Ω contains N elements, We can think it is same as the way to choose n from n/. $p/\{1^{\circ}, \dots, \{N^{\circ}\}/$ $\{1.2^{\circ}, \dots, \{N^{\circ}\}/$ $\{1.2^{\circ}, \dots, \{N^{\circ}\}/$ $\{N^{\circ}\}, \dots, \{N^{\circ}\}/$ $\{1,2^{\circ}, \dots, \{N^{\circ}\}/$ $\{N^{\circ}\}, \dots, \{N^{\circ}\}, \dots, \{N^{\circ}\}/$ $\{N^{\circ}\}, \dots, \{N^{\circ}\}, \dots, \{N^{\circ}\}/$ $\{N^{\circ}\}, \dots, \{N^{\circ}\}, \dots,$ (§1.2.3. .. N) The number of sets with n elements is some as the way to choose n from N. Therefore, $\binom{N}{0} \tau \binom{N}{1} \tau \cdots \tau \binom{N}{N} = 2^{N}$ When N = 4, the elements of a set Ω can be $\{1, 2, 3, 4\}$ Then the power set will be (p), (1), (2), (3), (4)g1,2}, {1.3}, {1.49, {2.3}, {2.4} (3.4), { 1.2.37. (2.3.4), (1.3.4), (1.2.4), (1.2.3.4) For, the numbers of a power set is 16:= 24